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➤ CONTEXT AND OBJECTIVE

➤ 5G services:

- Enhanced Mobile BroadBand (eMBB): Upgraded wireless connectivity for high-quality video, audio, and data transfer.
- Ultra Reliable Low Latency Communications (URLLC): Time critical services with stringent delay (1ms) and reliability (99,999%) constraints.
- Massive Machine Type Communications (mMTC): Communication for a large number of devices, facilitating machine-to-machine interactions.

➤ Present use case:

- Industrial Internet of Things (IIoT)
- IIoT integrates mobile connectivity into industrial applications, enabling flexible production and incorporating mobile robots and Automated Guided Vehicles.
- We hence rely on URLLC for transporting such traffic.

➤ Objective:

- Modeling performance of URLLC based on outage probability, i.e., probability that the latency exceeding a maximal allowed budget does not exceed a target reliability constraint.
- Network dimensioning in terms of required resources in order to meet a target outage probability.

➤ MODEL

➤ Outage probability :

- The outage probability:

$$\theta(a, \delta) = \sum_{r=1}^{R-1} \frac{r}{R} q_{\delta R+r} + 1 - \sum_{b=0}^{\delta R} q_b$$

where: q_b is the probability that b resources will be needed in the future to serve the backlogged traffic. δ and R are the delay budget and the nb of available resources, respectively.

➤ Model adaptation to URLLC:

- Heterogeneous Modulation and Coding Schemes (MCS): Users are subject to different radio conditions and each user uses adequate MCS.
- Integrating radio errors: transmission is subject to losses due to errors in radio link, our model accounts for retransmissions in this case.

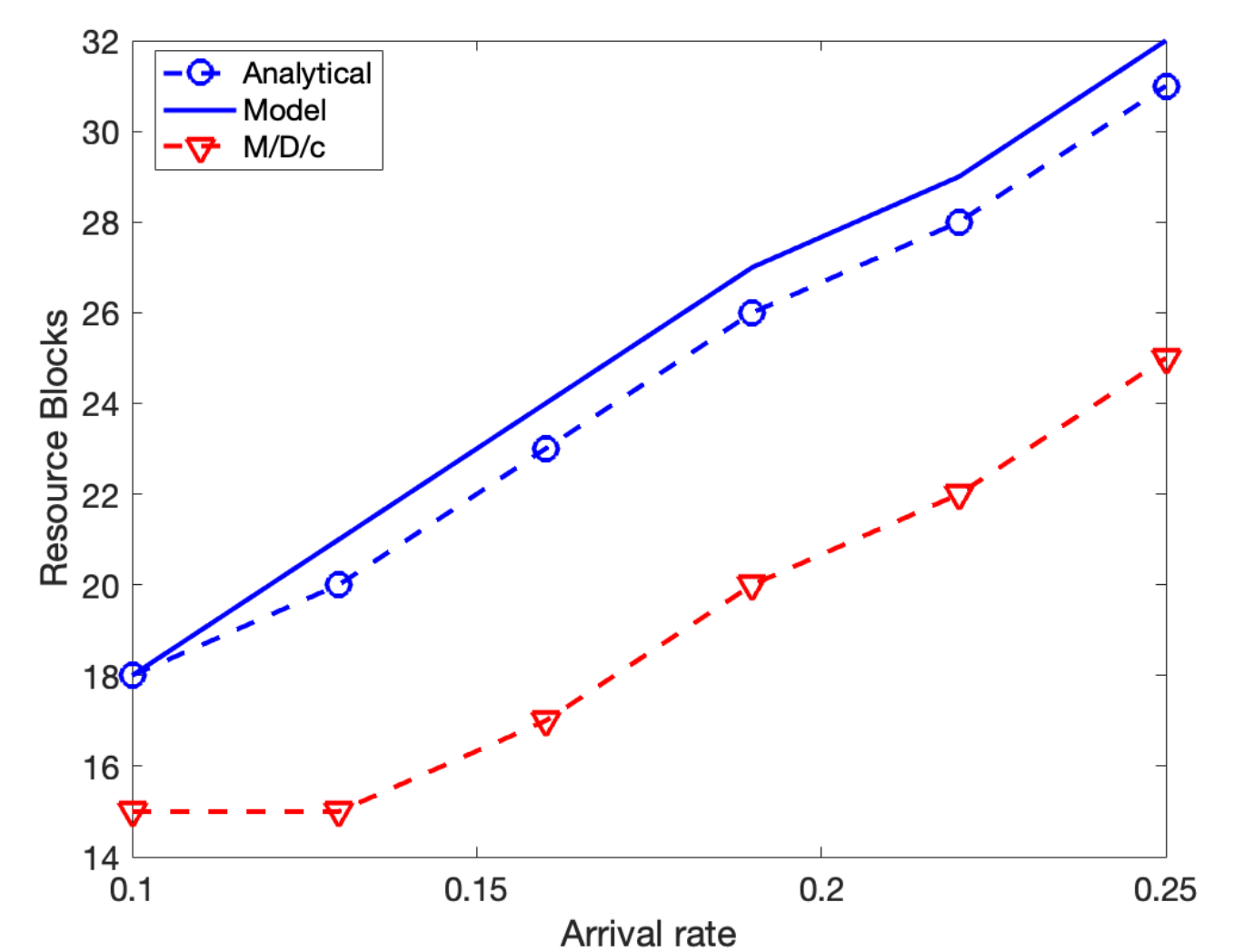
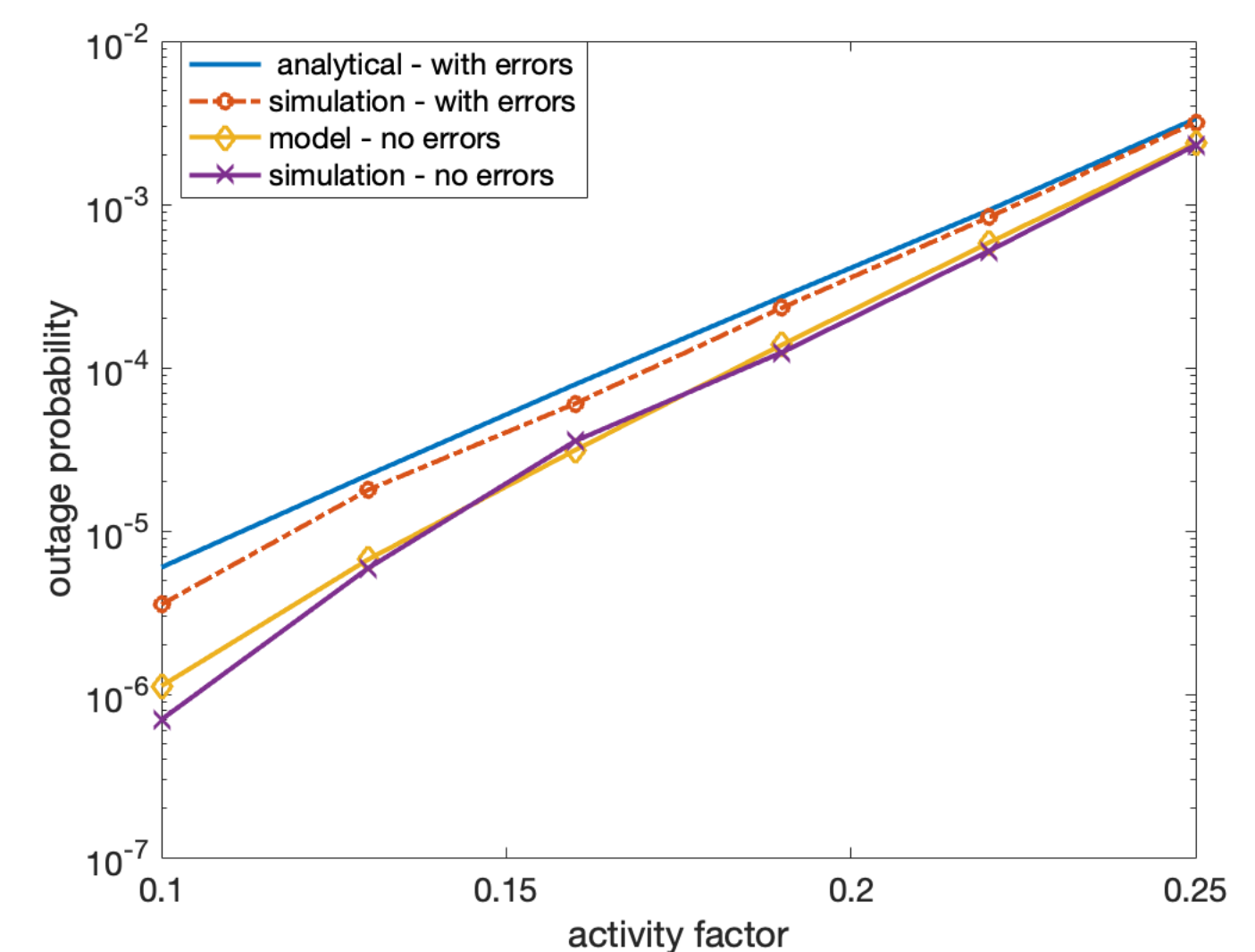
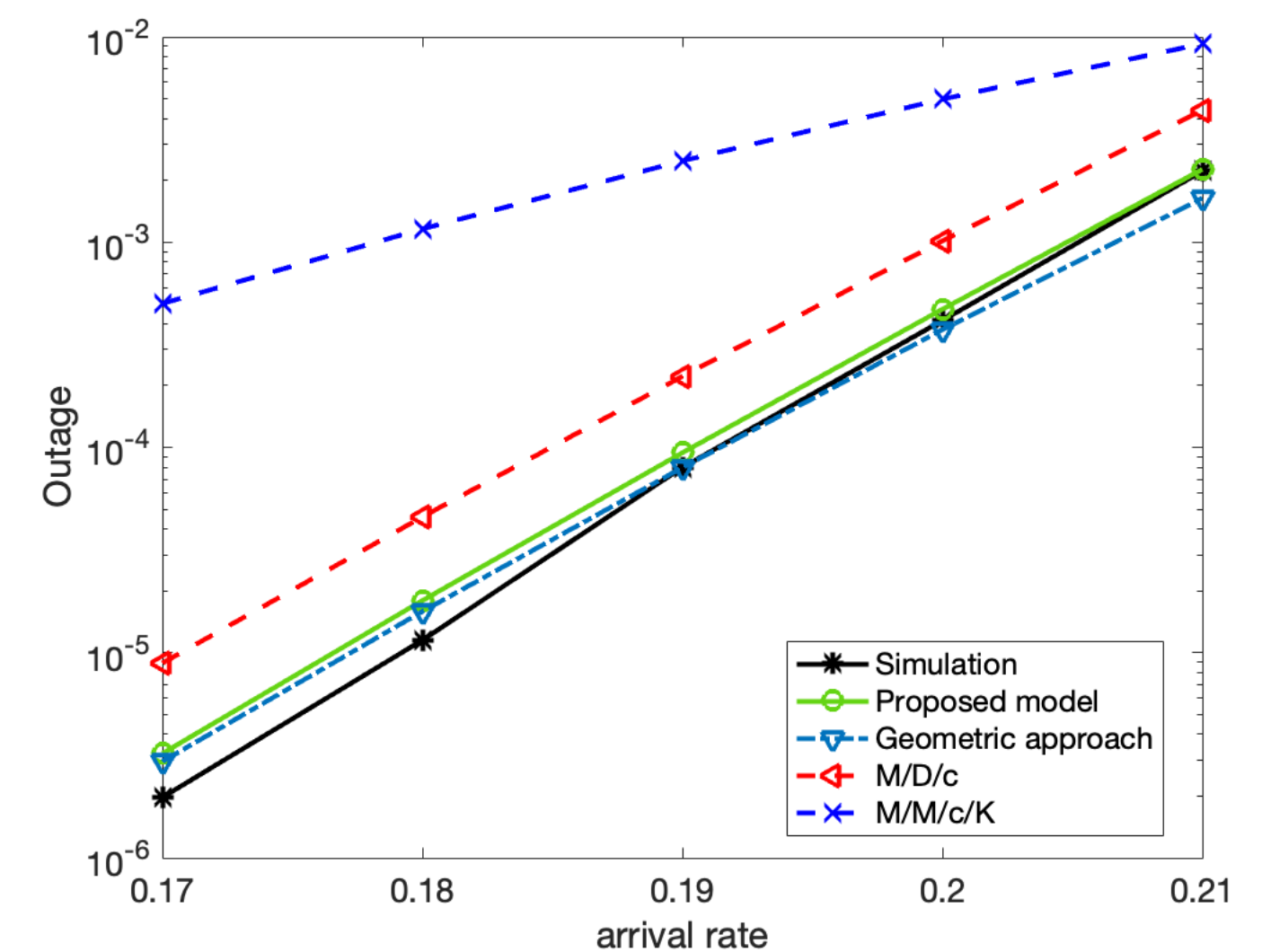
- The outage probability becomes:

$$\theta'(a, \delta) = \varepsilon \sum_{\delta_1=1}^{\delta-1} \left[\left(\sum_{b_1=(\delta_1-1)R+1}^{\delta_1 R} q_{b_1} \right) \left(1 - \sum_{b_2=0}^{(\delta-\delta_1)R} q_{b_2} \right) \right] + (1 - \varepsilon) \theta(a, \delta)$$

where: ε is the loss probability of a packet, $\theta(a, \delta)$ is same as above but with multiplying arrival rate by $\frac{1}{1-\varepsilon}$.

- We propose low complexity model for outage computation:
 - Binomial and Poisson arrival distributions
 - We approximate the tail of the distribution $q = (q_1, q_2, q_3, \dots)$ by the mean of geometric tail approach, using the following relation:

$$q_j = q_M \eta^{j-M}$$



PERSPECTIVES

- Performance model for the case of dynamic resource reservation policies.
- Coexistence between eMBB and URLLC: issue of modelling on two time scales, small for URLLC and larger for eMBB. Need for delayed reservations for URLLC in this case.
- Case of unknown arrivals, and need for learning them.